

V22.0490.001
Special Topics: Programming Languages

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Lecture # 17

—Slide 1—

Runtime Representations

- **Variable Names** \Rightarrow *Environment* \Rightarrow **L-values**
- **Scope, Extent & Binding Time**
 - **Scope:** *Portion of the program text* in which the identifier has a specific meaning.
 - **Extent:** *Duration* for which the identifier is allocated the location during execution (runtime).
 - **Binding Time:** *Time* at which the association is made between an identifier and its allocated location.
- Usually, $\text{Extent} \leq \text{Scope}$.

—Slide 2—

Dangling Reference Problem

- Recall storage insecurity, when

Extent > Scope.

- Example

```
type r = record ... end;
  t = ^r;
```

```
procedure P;
  var q: t;
  procedure A;
    var s: t;
    begin
      new(s); q:= s; dispose(s);
    end;

  begin
    ... A ...;
    q := ...; (*L-value whose lifetime has passed*)
  end.
```

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Static Storage Management

- FORTRAN (as implemented commonly)
 - The main program and each subroutine may declare local data.
But all data are preserved across successive calls on subroutines.
 - A given subroutine cannot be called if there is an as yet unfinished call of that same subroutine.
Forbids both direct and indirect (mutual) recursion.
- **All storage for FORTRAN data can be allocated statically before execution begins.**

—Slide 4—

Activation Record

- **Activation Record:**

Set of informations necessary for the execution of a subprogram.

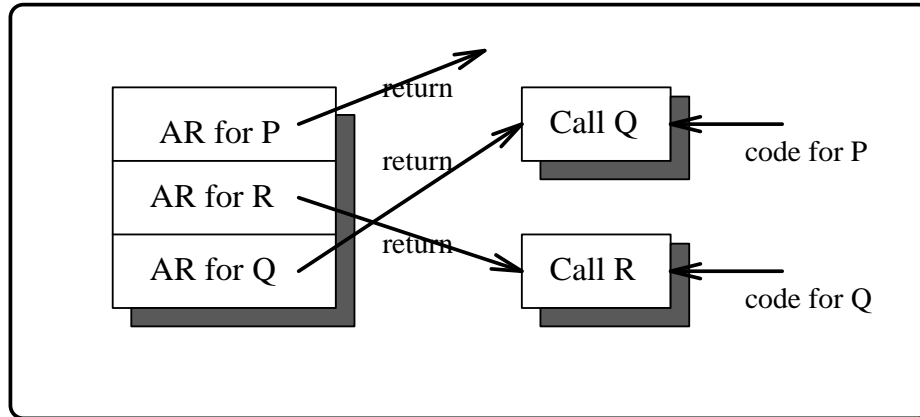
- **FORTRAN**

When a subroutine executes, it always finds its activation record in the same place.

- *Runtime structure of FORTRAN:*

Needs only to store the “return address” in the activation record of the called subroutine.

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Static Storage Management in FORTRAN

- **Activation Records:**

SUBROUTINE P(...)	SUBROUTINE Q(...)	SUBROUTINE R(...)
...
CALL Q(...)	CALL R(...)	...
...	...	RETURN
RETURN	RETURN	END
END	END	

- In FORTRAN, each of the following has an *Activation Record*

- Each subroutine
- The mainprogram
- Each **COMMON** block

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Stack Based Modern Languages
(ALGOL-like)

- *Subprograms are allowed to be recursive.*
 - More than one activation of the same subprogram can exist simultaneously.
 - Each invocation of the subprogram may have
 - 1) A different return point
 - 2) Different values for local variables.
 - Number of activations of a subprogram (that can exist simultaneously) is **unpredictable**.
- ⇒ *The activation record for a subprogram can only be created, when the subprogram is actually called.*
- *Support for scope-entry declaration of local variables.*

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*Implications of
Call-Time Allocation of AR's*

- Allocation lasts for precisely the duration of a particular subprograms execution.
 - ⇒ Allocate AR, when the execution begins.
 - ⇒ Release that space, when execution finishes.
- If a subprogram **P** calls a subprogram **Q** then **P cannot complete before Q**.

$$\text{Extent}(\mathbf{Q}'\text{s AR}) \subset \text{Extent}(\mathbf{P}'\text{s AR})$$

Q's extent is wholly contained in **P's**.

- *Storage requirements of AR's are Last-In-First-Out.*
- Stack-like data structure for AR's suffices.

—Slide 8—

Procedure Call

$P \equiv$ Procedure

Call to P

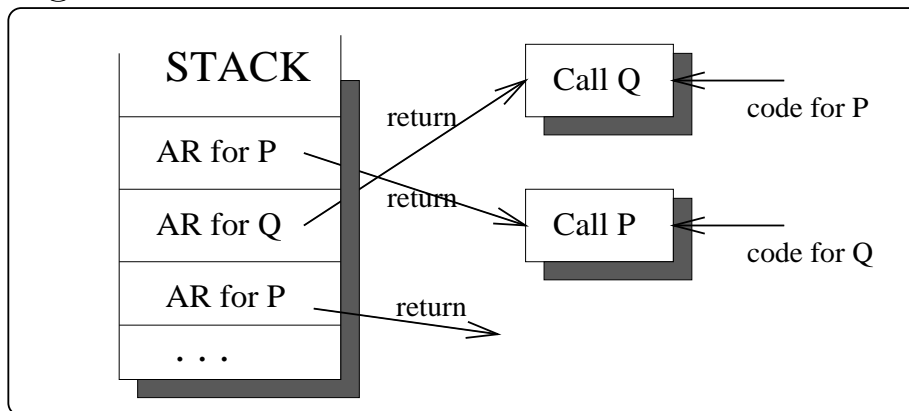
- Push a new AR for P on stack
(containing “return address” as its return field)
- Execute in the “new” environment
- Pop the current AR for P
(saving the “return address” in T)
- Go to T .

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Activation Records (AR)

Stack Based Storage Management

Algol and its relatives:



- **Mutually Recursive Procedures:**

```

procedure P(...) <--      procedure Q(...)
...
begin
...
  Q(...)
...
end -----/

```

----->

- Each Activation of a procedure has an AR (allocated dynamically).

—Slide 10—

Up-Level Addressing and the Display

- In the absence of reference to “global variables” (procedures reference only *formal* and *locally declared variables*)

$$\begin{array}{l} \text{L-VALUE OF A VARIABLE} \\ \equiv \left\{ \begin{array}{l} \text{ADDRESS OF THE CURRENT AR} \\ + \\ \text{“OFFSET” ADDRESS WITHIN THE AR} \end{array} \right. \end{array}$$

- **Procedure Call:**

- Allocate AR on top of the stack
- Save caller’s AR address in its own AR

- **Return from Call:**

- Restore the old AR address
- Branch to the return point

—Slide 11—

Reference to the Global Variable

- **Reference to the Global Variables:**
Simple Case Global variables are all declared in the main program—OUTER-MOST LEVEL.
- Each variable reference is either:
 - Relative to the current AR (for locals), or
 - Relative to the stack base (for globals).
- **What about the intermediate non-local variables?:**
Up-Level Addressing Problem

—Slide 12—

Up-level Addressing Problem
Intermediate Non-Local Variables

Algol, Pascal, Ada, — Scope Rules

```

procedure P;
begin
  var x, y: T1;

  procedure Q;
  begin
    var z: T2;

    procedure R;
    begin
      var: a, b: T3;
      ...      <-----z is accessible in Q & R
    end;
    ...      <-----x, y are accessible in P, Q & R
  end;
  ...
end;

```

- Can **R** tell where **x**, **y** and **z** are located?
- *Not easily*
(specially, if **R** calls itself recursively.)

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Displays

- **Lexical Level of a Procedure:**

An integer value one greater than the lexical level of the procedure in which it is declared.

- Lexical level of the main Program = 0.

$$LexLev(P) = n \Rightarrow$$

$$LexLev(Q) = n + 1 \ \& \ LexLev(R) = n + 2.$$

- **Up-level Addressing**

Accessing an “intermediate non-local variable” at level L , where $0 < L < \text{Current-level}$.

- **Note:**

The number of AR's accessible to procedure R = $Lexlev(R) + 1$. (Dictated by the static nature of the lexical scope rule.)

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Displays and Setting Them Up

- **Solving the Up-level Addressing Problem:**
Add $LexLev(R) + 1$ locations to the AR of R.
These locations are called a **DISPLAY**—Vector of pointers to accessible AR's
- **Setting the displays:**
Assumption: No procedure parameters (False in Ada)
- Procedure P calls procedure Q :
Assumption $\Rightarrow LexLev(Q) \leq Lexlev(P)$
 1. $LexLev(P) = n$ then $Display(P) = D_P[0..n]$
 2. Two cases to consider:
 - 1) $Lexlev(Q) = n$ (P and Q are at the same level) and
 - 2) $Lexlev(Q) = m < n$ (Q is up-level from P)

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Setting the Displays

- Case I) $Lexlev(Q) = n$ (P and Q are at the same level)

$$Display(Q) = D_Q[0..n]$$

$$D_Q[0..n-1] := D_P[0..n-1]$$

First n displays are the same

$$D_Q[n] := AR_Q$$

The n th display of

Q is the base of the current AR

- Case II) $Lexlev(Q) = m < n$ (Q is up-level from P)

$$Display(Q) = D_Q[0..m]$$

$$D_Q[0..m-1] := D_P[0..m-1]$$

First m displays are the same

$$D_Q[m] := AR_Q$$

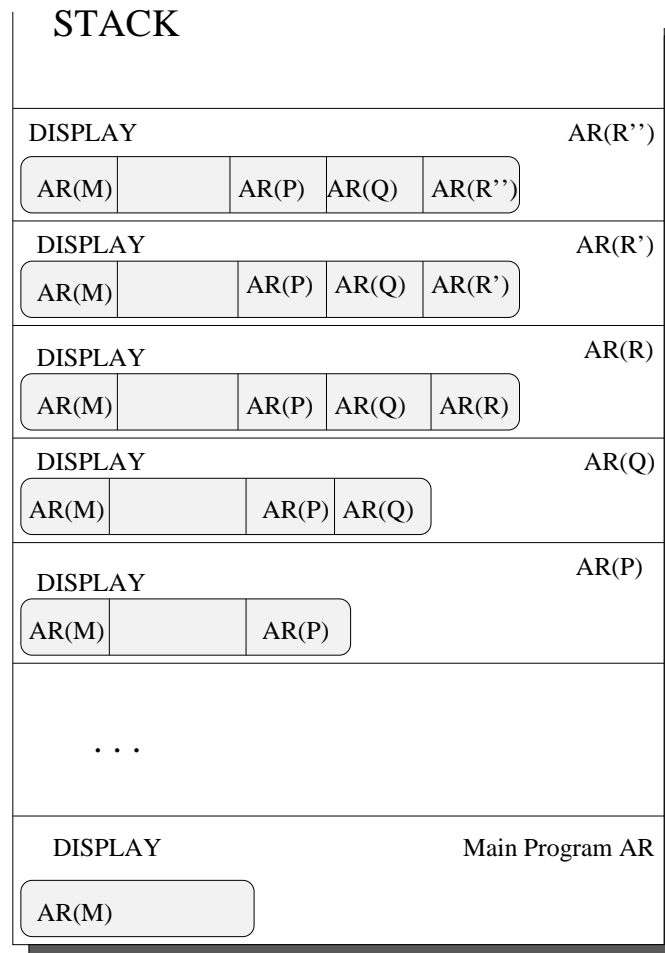
The m th display of

Q is the base of the current AR

- *More Efficient Implementation*

1) Maintain one vector common to all AR's + 2) One additional word for each AR.

—Slide 16—

Sample Display Configuration

[End of Lecture #17]