

Failure Detectors

Poster session: Next week, here

- No need to print poster: Just show it on your laptop, etc.
- Ideally: 1 slide/screen (Will not look at more than 2)
 - What were you doing
 - What was the best/coolest thing you found.
 - THINGS YOU WANT YOUR CLASSMATES TO KNOW
- MAIN AUDIENCE: OTHERS IN THE CLASS!

Where we are

RSM $\rightarrow$ Consensus/Agreement

$\hookrightarrow$ Validity, agreement, termination

Fail-Stop

Asynch

X

BFT (w/auth.)

X

Partially Synch

$\checkmark$ if $n > 2f$

$\checkmark$ if $n > 3f+1$

Synch

$\checkmark$ if $n > f+1$

$\checkmark$ if $n > f+1$

Why gap? Hand-wavy claim

↳ Partial synchrony allows distinguishing
b/w failure & delay

↳ When?

→ For how many nodes?

→ ...

Can we more precisely define what we need?

Why - Theory: Better understand the protocol

Practice: Maintaining/establishing assumptions come at a cost

↳ $n > 2f$

→ Partial synchrony

→ Bounded message latency

...

Useful to know what is required.

Failure Detectors

① Show (consensus (or other problem) can be solved in a distributed system)



solved if each process
had access to F ,
assuming some failure
model.

Chandra and Toueg:

Strong (3) or

$\Diamond W(\Omega)$ w/ 2f+1
processes suffice

② Show that if $\exists F'$ fodo to solve consensus then
one can construct F from F'

Chandra, Hadzilacos & Toueg (CHT):

$\Diamond W(\Omega)$ is **weakest** F.D. for

solving consensus

[Roughly: Use F' to run a consensus
protocol that tracks participants]

$\Diamond W \rightarrow \exists p \in \Pi$ that everyone agrees has not failed

$\hookrightarrow$ Leader election?

Chandra & Toueg's Failure Detectors

F : time $\rightarrow$ Set of suspect processes

Accuracy: "What correct processes can be suspected"

- Strong: No correct process is ever suspected

- Weak: $\exists$ correct process p that is never suspected.

- $\Diamond$ Strong: Eventually no correct process is suspected

$\exists t. \text{ s.t. } t' \geq t \Rightarrow F(t') \text{ only contains failed processes}$

- $\Diamond$ Weak: $\exists$ correct process p that is eventually not suspected

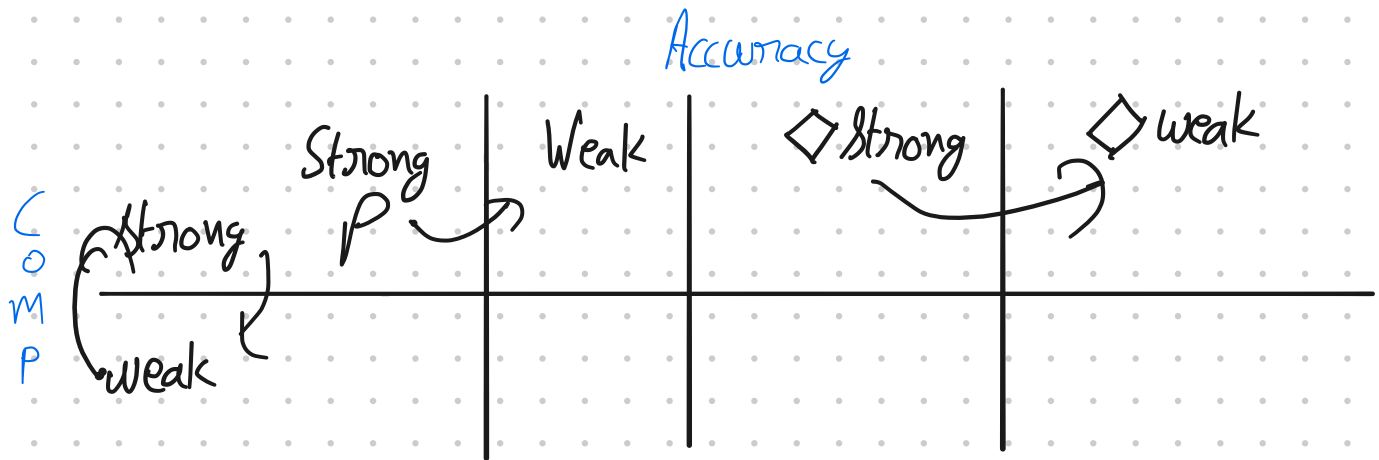
$\exists p \in \Pi, t: t' \geq t \Rightarrow p \notin F(t')$

Completeness: "What faulty processes are suspected"

- Strong: Eventually, all failed processes are suspected by all processes

- Weak: Eventually, some correct process suspects each failed process.

Combine these two dimensions to come up with 8 F.D.s



Eight is too many objects.

Observe for

- Comp & accuracy

Strong $\Rightarrow$ weak

- Accuracy

$\diamond$ Strong $\Rightarrow$ $\diamond$ weak

Can build F.D. with strong completeness given F.D. with weak completeness.

① Completeness is eventual

↳ Can exchange messages and get FD output from other correct processes

Idea Strong complete output

[all correct processes eventually suspect all failed processes]

||

$\bigcup_{\text{correct } p}$

weak complete output

[a correct process eventually suspects any failed process]

② Tricky: Preserving accuracy.

① Strong $\leftarrow$ No correct process is suspected

$\Rightarrow$ No processes FD output contains correct processes

$\Rightarrow$ Union does not contain correct p

② Weak $\leftarrow \exists$ correct p that is never suspected

[same reasoning as above]

③ $\diamond$ strong $\wedge$ $\diamond$ weak: Trickier

Union of FD outputs might contain correct

Why? FD output might contain
processes (on chosen correct process
 p) initially

Need to get rid of it eventually.

How?

Idea 1

while true:

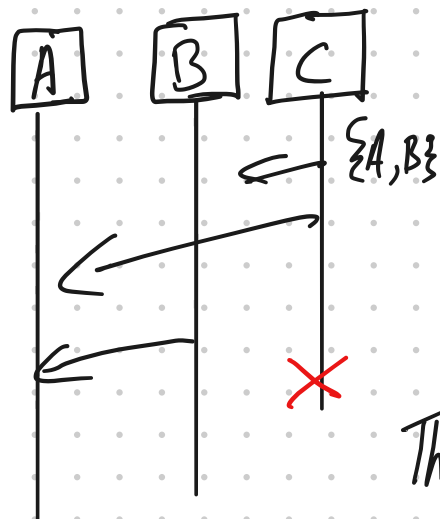
send ($\langle p, \text{fd output} \rangle$)

on receive $\langle p, f \rangle$

$\text{out}[p] \leftarrow f$

$\text{fd output} = \bigcup \text{out}[p]$

This doesn't work. Why?



Idea 2:

Every process p executes the following:

$\text{output}_p \leftarrow \emptyset$

cobegin

|| Task 1: repeat forever

{ p queries its local failure detector module $\mathcal{D}_p$ }

$\text{suspects}_p \leftarrow \mathcal{D}_p$

send ($p, \text{suspects}_p$) to all

|| Task 2: when receive ($q, \text{suspects}_q$) for some q

$\text{output}_p \leftarrow (\text{output}_p \cup \text{suspects}_q) - \{q\}$

coend

} Send
FD output

Why does this work?

Accuracy

C O M P	Strong	Strong P	Weak S	$\Diamond$ Strong $\Diamond$ P	$\Diamond$ weak $\Diamond$ S
	<u>weak</u>	Q	W	$\Diamond$ Q	$\Diamond$ W

Can focus on one or the other.

Two results

- ① S (on W) $\rightarrow$ Consensus with $f+1$ nodes
- ② $\Diamond S$ (on $\Diamond W$) $\rightarrow$ Consensus with $2f+1$ nodes.

Going to start with ② $\leftarrow$ Similar to what we have seen before.

Core idea

① Nodes take it in turn to be leader

$\rightarrow$ When a node becomes leader it tries to replicate a value (proposal) to all correct nodes.

→ Leader counts how many times its value has been replicated & decides (commits) when the value is sufficiently replicated
↳ Informs nodes about decisions

② Other processes move onto another leader if F.D. suspects current leader

Timing might lead to a scenario where current leader is suspected after value is sufficiently replicated (or potentially committed)

↳ Must ensure that a sufficiently replicated value is used for all future proposals.

↳ Compare to Paxos

P2. If a proposal with value v is chosen, then every higher-numbered proposal that is chosen has value v .

Use similar idea ← Quorum Intersection

to decide proposal.

Every process p executes the following:

procedure *propose*(v_p)

$estimate_p \leftarrow v_p$ { $estimate_p$ is p 's estimate of the decision value}

$state_p \leftarrow undecided$

$r_p \leftarrow 0$

{ r_p is p 's current round number}

$ts_p \leftarrow 0$

{ ts_p is the last round in which p updated $estimate_p$, initially 0}

{Rotate through coordinators until decision is reached}

while $state_p = undecided$

$r_p \leftarrow r_p + 1$

$c_p \leftarrow (r_p \bmod n) + 1$

{ c_p is the current coordinator}

Phase 1: {All processes p send $estimate_p$ to the current coordinator}

send $(p, r_p, estimate_p, ts_p)$ to c_p

Phase 2: {The current coordinator gathers $\lceil \frac{n+1}{2} \rceil$ estimates and proposes a new estimate}

if $p = c_p$ then

wait until [for $\lceil \frac{n+1}{2} \rceil$ processes q : received $(q, r_p, estimate_q, ts_q)$ from q]

$msgs_p[r_p] \leftarrow \{(q, r_p, estimate_q, ts_q) \mid p \text{ received } (q, r_p, estimate_q, ts_q) \text{ from } q\}$

$t \leftarrow$ largest ts_q such that $(q, r_p, estimate_q, ts_q) \in msgs_p[r_p]$

$estimate_p \leftarrow$ select one $estimate_q$ such that $(q, r_p, estimate_q, t) \in msgs_p[r_p]$

send $(p, r_p, estimate_p)$ to all

Phase 3: {All processes wait for the new estimate proposed by the current coordinator}

wait until [received $(c_p, r_p, estimate_{c_p})$ from c_p or $c_p \in \mathcal{D}_p$] {Query the failure detector}

if [received $(c_p, r_p, estimate_{c_p})$ from c_p] then { p received $estimate_{c_p}$ from c_p }

$estimate_p \leftarrow estimate_{c_p}$

$ts_p \leftarrow r_p$

send (p, r_p, ack) to c_p

else send $(p, r_p, nack)$ to c_p

{ p suspects that c_p crashed}

Phase 4: {The current coordinator waits for $\lceil \frac{n+1}{2} \rceil$ replies. If they indicate that $\lceil \frac{n+1}{2} \rceil$ processes adopted its estimate, the coordinator R-broadcasts a decide message}

if $p = c_p$ then

wait until [for $\lceil \frac{n+1}{2} \rceil$ processes q : received (q, r_p, ack) or $(q, r_p, nack)$]

if [for $\lceil \frac{n+1}{2} \rceil$ processes q : received (q, r_p, ack)] then

R-broadcast($p, r_p, estimate_p, decide$)

{If p R-delivers a decide message, p decides accordingly}

when R-deliver($q, r_q, estimate_q, decide$)

if $state_p = undecided$ then

decide($estimate_q$)

$state_p \leftarrow decided$

Phase 1

Phase 2

Count & Commit.

Termination? Eventually correct p , who no one suspects will become leader.

① $S(w)$ $\rightarrow$ Consensus with $f+1$ nodes

Why gap: $\exists$ correct process p that is never suspected

$\rightarrow$ Have correct process relay

information from other processes

Challenge: Don't know identity of correct p ahead of time

→ Agreeing on correct p equivalent to consensus

so instead rely on multiple rounds of communication

Every process p executes the following:

procedure $propose(v_p)$

$V_p \leftarrow (\perp, \perp, \dots, \perp)$

$V_p[p] \leftarrow v_p$

$\Delta_p \leftarrow V_p$

{ p 's estimate of the proposed values}

Phase 1: {asynchronous rounds $r_p, 1 \leq r_p \leq n-1$ }

for $r_p \leftarrow 1$ to $n-1$

send (r_p, Δ_p, p) to all

wait until $[\forall q : \text{received } (r_p, \Delta_q, q) \text{ or } q \in \mathcal{D}_p]$

$msgs_p[r_p] \leftarrow \{(r_p, \Delta_q, q) \mid \text{received } (r_p, \Delta_q, q)\}$

$\Delta_p \leftarrow (\perp, \perp, \dots, \perp)$

for $k \leftarrow 1$ to n

if $V_p[k] = \perp$ and $\exists (r_p, \Delta_q, q) \in msgs_p[r_p]$ with $\Delta_q[k] \neq \perp$ then

$V_p[k] \leftarrow \Delta_q[k]$

$\Delta_p[k] \leftarrow \Delta_q[k]$

{query the failure detector}

} Gather & Relay Proposals

Phase 2: send V_p to all

wait until $[\forall q : \text{received } V_q \text{ or } q \in \mathcal{D}_p]$

$lastmsgs_p \leftarrow \{V_q \mid \text{received } V_q\}$

for $k \leftarrow 1$ to n

if $\exists V_q \in lastmsgs_p$ with $V_q[k] \neq \perp$ then $V_p[k] \leftarrow \perp$

{query the failure detector}

} Send vector of all proposals

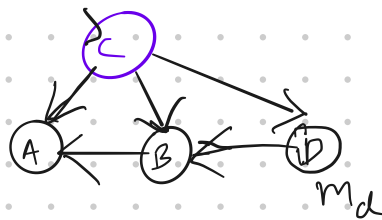
Phase 3: decide(first non- $\perp$ component of V_p)

FIG. 5. Solving Consensus using any $\mathcal{D} \in \mathcal{F}$.

Failure Detectors in practice

- Desirable but

- Accuracy is hard



→ Weak: How to ensure that some process p is never suspected?

→ How to choose p ?

→ Strong: No correct process is even suspected

→ Delay vs failure

→ Prior work (Falcon, others)

→ Kill suspected nodes

→ Likely to violate any assumptions about # of process failures.

Pigeon

→ Provide information about failure certainty (Warnings vs facts)

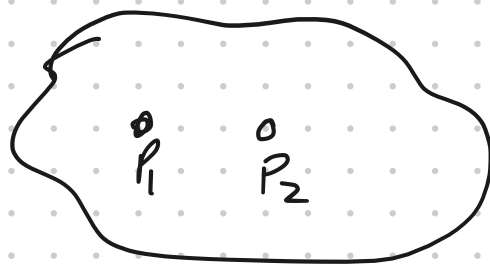
→ Use additional sources of information to improve predictions } Core Benefit!

Strong Accuracy

Weak

Complete

A



Output

↳

$$fd(x) = \{p_1, p_2\}$$

- Can p_1 be correct?
- Can p_1 have failed?

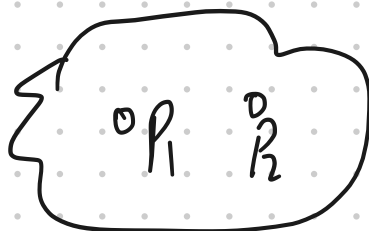
SA/WC $\rightarrow$ Union SH/SC

WA

$N <$

[Sp. Process
C]

A



①

Can p_1 be correct?

Yes

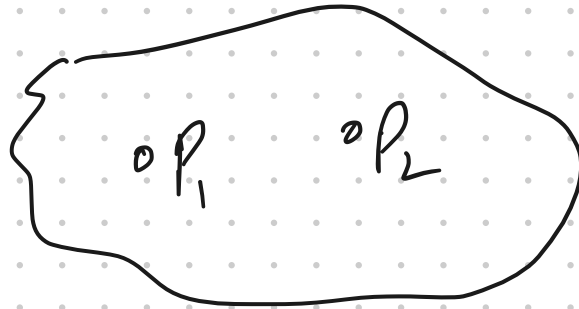
Can p_1 have failed? Yes

(2) Can P_1 be faulty?

(3) Can $P_1 = C$?

◇ SA WC → ◇ SA SC

A:



Q1: Can P_1 be correct?

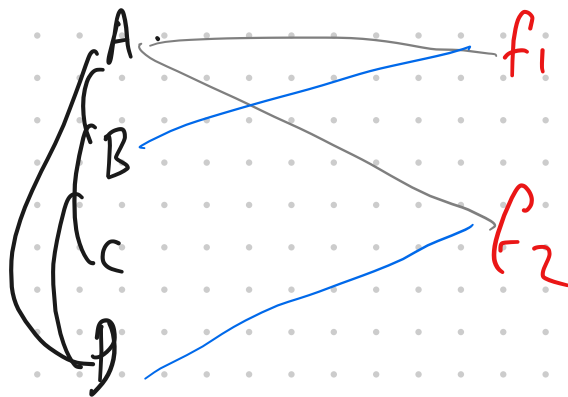
Q2: Can P_1 be faulty?

~~No correct process is suspected~~
Do not know

Weak Complete

Correct

Failed



Eventually

Strong Complete

