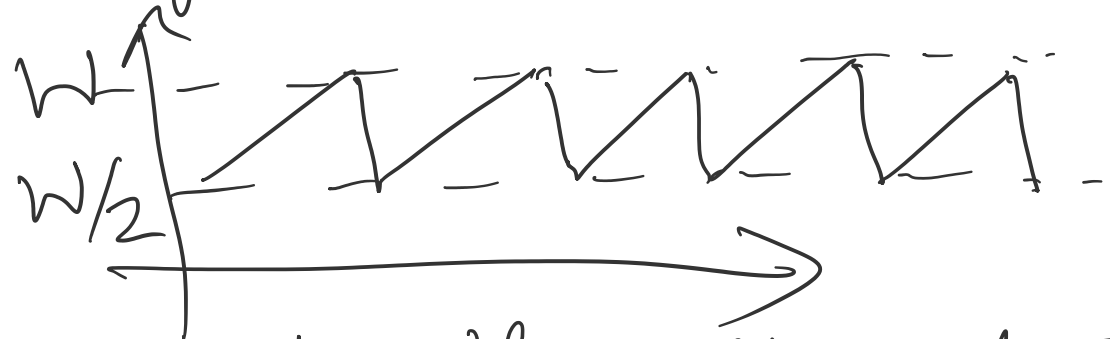


XCP Motivation

- 1) Large BDP environments result in poor TCP performance.
- 2) Why? (Recall from Handley's paper)



Steady state throughput of TCP

$$= \frac{\text{Avg. window size}}{\text{RTT}} \quad (\text{Ignore queue delay in RTT})$$

$$= \frac{3W}{4\text{RTT}}$$

Window goes from $\frac{W}{2}$ to W in time Δt .

What's Δt ?

Additive increase implies window goes from $\frac{W}{2}$ to W in time $\frac{W}{2}$ RTT's

So the first RTT we send $\frac{W}{2}$ packets

second RTT $\frac{W}{2} + 1$

third RTT $\frac{W}{2} + 2$

$\frac{W}{2}$ RTT $\frac{W}{2} + \frac{W}{2}$

Total number of packets

$$\approx \frac{W}{2} * \frac{W}{2} + \frac{W}{2} * \frac{W}{4}$$

$$\approx \frac{W^2}{4} + \frac{W^2}{8}$$

$$\approx \frac{3W^2}{8}$$

$$\text{Loss probability} = \frac{1}{\frac{3W^2}{8}}$$

$$p = \frac{8}{3W^2}$$

$$W = \sqrt{\frac{8}{3p}}$$

Plugging back into throughput

$$\text{Thpt} = \frac{3W}{4\text{RTT}}$$

$$= \frac{3}{4} \sqrt{\frac{8}{3p}} \times \frac{1}{\text{RTT}}$$

$$\boxed{\text{Thpt} = \sqrt{\frac{3}{2p}} \times \frac{1}{\text{RTT}}}$$

What's the point of this?

- 1) Thpt \downarrow as RTT \uparrow
(so large RTT flows suffer)

- 2) W needs to be close to $B * \text{RTT}$ support full utilization.

$$p = \frac{8}{3W^2}$$

Hence p needs to be $\propto \frac{1}{B^2 \text{RTT}^2}$

for full utilization.

- 1) But p typically goes up with RTT (more hops, more chance to drop packets)

- 2) & remains at most constant with B (larger B needs larger buffer size to sustain larger incoming packet rate)

Net effect: TCP does badly when BDP \uparrow