

Allan Gottlieb, '67

Address all correspondence to:

Kid's Place
Baker 6320
362 Memorial Drive
Cambridge, Massachusetts 02139

As usual there was a misprint in the last issue and, as usual, it occurred in little guy's problem. This time, however, it was the printer's fault (*isn't it always - ed.*). The second sentence of problem 22 should read: Define the distance set of (a_α) to be $(b$ such that $b = a_\beta - a_\gamma)$.

Since this is the last issue till next year, no regular problems will appear. Answers to last month's problems will appear in the first issue next term.

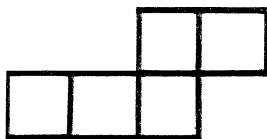
SPEED department

29 - My former roommate is now top undergraduate hustler. Hence the following addition problem:

$$\begin{array}{r} \text{GOOD} \\ + \text{JOB} \\ \hline \text{DOUG} \end{array}$$

Hint: D plus G, which equals O plus 1, is prime.

30 - Assume the following figure is made of matchsticks:



Move two matchsticks and get a figure with only four identical squares.

solutions

15 - 2 half-planes with edge in common, 2 regions.

2 half-planes without edges in common, 1 region.

3 half-planes with no edge in common not cutting each other, 1 region.

3 half-planes with edge in common, 3 regions.

2 half-planes with edge in common, third half-plane entirely in larger region, 2 regions.

2 half-planes with edge in common, third half-plane dividing the smaller region, 3 regions.

2 half-planes with edge in common, third half-plane in both regions, 2 regions.

3 half-planes with no edge in common, but cutting each other, 2 regions.

n half-planes with a common intersection (*the origin - ed.*) 1 region.

k pairs of half-planes, each with common edge, $2(k^2 - k + 1)$ regions. (*each pair must intersect each of the others non-trivially - ed.*)

The MAA gives no proof that these cases are exhaustive. I would welcome such a proof and offer a free subscription to TEN to the first person who sends a reasonable demonstration to me - ed.)

16 - I have, as yet, no solution for this Friedman Problem.

17 - P is a multiple of 3 (9) if the sum of its digits is a multiple of 3 (9). P is a multiple of 11 if the sum of its digits in the odd places minus the sum of its digits in the even places is a multiple of 11.

18 - The following solution is due to De Moivre:

34 49 22 11 36 39 24 1

21 10 35 50 23 12 37 40

48 33 62 57 38 25 2 13

9 20 51 54 63 60 41 26

32 47 58 61 56 53 14 3

19 8 55 52 59 64 27 42

46 31 6 17 44 29 4 15

7 18 45 30 5 16 43 28

19 - Gerald Ruderman, '68, needed only 97 characters to remove the vowels from a sentence. The language which he used was SNOBOL, a string manipulative language developed at Bell Labs. (*Unfortunately, his program has an error in it. What follows is a slightly modified version having 99 characters - ed.*)

```
S SYS .READ *T* " " /F(END)
```

```
0 = "AEIOU"
```

```
A 0 *V/"1"* = /F(R)
```

```
B T V = /S(B)F(A)
```

```
R SYS .PRINT T /(S)
```

```
END S
```