



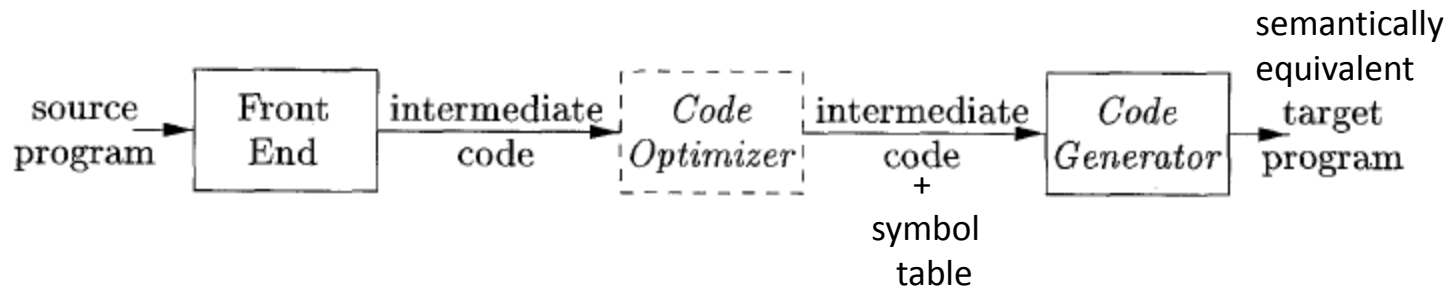
NEW YORK UNIVERSITY

CSCI-GA.2130-001  
Compiler Construction  
**Lecture 12:**  
**Code Generation I**

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## Requirements

- Preserve semantic meaning of source program
- Make effective use of available resources of target machine
- Code generator itself must run efficiently

## Challenges

- Problem of generating optimal target program is undecidable
- Many subproblems encountered in code generation are computationally intractable

# Main Tasks of Code Generator

- **Instruction selection:** choosing appropriate target-machine instructions to implement the IR statements
- **Registers allocation and assignment:** deciding what values to keep in which registers
- **Instruction ordering:** deciding in what order to schedule the execution of instructions

# Design Issues of a Code Generator

## Input

- three-address presentations (quadruples, triples, ...)
- Virtual machine presentations (bytecode, stack-machine, ...)
- Linear presentation (postfix, ...)
- Graphical presentation (syntax trees, DAGs, ...)

# Design Issues of a Code Generator

## Target program

- Instruction set architecture (RISC, CISC)
- Producing absolute machine-language program
- Producing relocatable machine-language program
- Producing assembly language programs

# Design Issues of a Code Generator

## Instruction Selection

The complexity of mapping IR program into code-sequence for target machine depends on:

- Level of IR (high-level or low-level)
- Nature of instruction set (data type support)
- Desired quality of generated code (speed and size)

# Design Issues of a Code Generator

## Register Allocation

- Selecting the set of variables that will reside in registers at each point in the program

## Register Assignment

- Picking the specific register that a variable will reside in

# Design Issues of a Code Generator

## Evaluation Order

- Selecting the order in which computations are performed
- Affects the efficiency of the target code
- Picking a best order is NP-complete
- Some orders require fewer registers than others



# Simple Target-Machine

- Load/store operations
  - *LD dst, addr*
  - *ST x, r*
- Computation operations
  - *OP dst, src1, src2*
- Jump operations
  - *BR L*
- Conditional jumps
  - *Bcond r, L*
- Byte addressable
- n registers: R0, R1, ... Rn-1

# Simple Target-Machine


- Addressing modes
  - variable name
  - $a(r)$  means  $\text{contents}(a + \text{contents}(r))$
  - $*a(r)$  means:  
 $\text{contents}(\text{contents}(a + \text{contents}(r)))$
  - immediate:  $\#constant$  (e.g. LD R1, #100)

# Simple Target-Machine


## Cost

- cost of an instruction = 1 + cost of operands
- cost of register operand = 0
- cost involving memory and constants = 1
- cost of a program = sum of instruction costs


# Examples

$X = Y - Z$  

```
LD R1, y           // R1 = y
LD R2, z           // R2 = z
SUB R1, R1, R2     // R1 = R1 - R2
ST x, R1          // x = R1
```

$b = a[i]$   
(8-byte elements) 

```
LD R1, i           // R1 = i
MUL R1, R1, 8      // R1 = R1 * 8
LD R2, a(R1)       // R2 = contents(a + contents(R1))
ST b, R2           // b = R2
```

$x = *p$  

```
LD R1, p           // R1 = p
LD R2, 0(R1)       // R2 = contents(0 + contents(R1))
ST x, R2           // x = R2
```

# More Examples

- $a[j] = c$
- $*p = y$
- if  $X < Y$  goto  $L$

# Generating Code for Handling the Stack

Size and layout of activation records are determined by the code generator using information from symbol table

saves return address  
at beginning of activation  
record of callee

constants giving address  
of beginning of activation record of callee

```
ST  callee.staticArea, #here + 20  
BR  callee.codeArea
```

} CALL callee

transfers control to  
target code of  
procedure callee

```
BR  *callee.staticArea } RETURN
```

### Assumptions:

- *c* and *p* start at 100 and 200
- activation records for *c* and *p*: 300 and 364

```

// code for c
action1
call p
action2
halt

// code for p
action3
return

100: ACTION1 // code for c
120: ST 364, #140 // code for action1
132: BR 200 // save return address 140 in location 364
140: ACTION2 // call p
160: HALT // return to operating system
...
// code for p
200: ACTION3
220: BR *364 // return to address saved in location 364
...
// 300-363 hold activation record for c
300: // return address
304: // local data for c
...
// 364-451 hold activation record for p
364: // return address
368: // local data for p
```

The above assumptions mean **static allocation** ... What if it is not the case?

# Stack Allocation

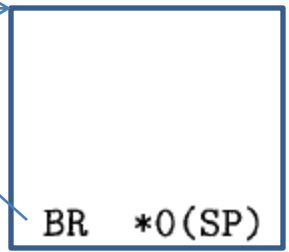
- The position of the activation record is not know until runtime
- Must use relative address to access elements of the activation record
- We need a register to keep track of the top of the stack

**Remember:** The book assumes, for simplicity, that stack grows toward the high memory. The reality is the opposite. The code we see here is based on the book convention.



LD SP, #stackStart  
code for the first procedure  
HALT

ADD SP, SP, #caller.recordSize  
ST \*SP, #here + 16  
BR callee.codeArea  
SUB SP, SP, #caller.recordSize



## Assumptions:

- First word is each activation is the return address
- start address of p, q, and m: 100, 200, and 300
- stack starts at 600

```

// code for m
action1
call q
action2
halt

// code for p
action3
return

// code for q
action4
call p
action5
call q
action6
call q
return

100: LD SP, #600 // code for m
108: ACTION1 // initialize the stack
128: ADD SP, SP, #msize // code for action1
136: ST *SP, #152 // call sequence begins
144: BR 300 // push return address
152: SUB SP, SP, #msize // call q
160: ACTION1,2 // restore SP
180: HALT
...
200: ACTION3 // code for p
220: BR *0(SP) // return
...
300: ACTION4 // code for q
320: ADD SP, SP, #qsize // contains a conditional jump to 456
328: ST *SP, #344 // push return address
336: BR 200 // call p
344: SUB SP, SP, #qsize
352: ACTION5
372: ADD SP, SP, #qsize
380: BR *SP, #396 // push return address
388: BR 300 // call q
396: SUB SP, SP, #qsize
404: ACTION6
424: ADD SP, SP, #qsize
432: ST *SP, #440 // push return address
440: BR 300 // call q
448: SUB SP, SP, #qsize
456: BR *0(SP) // return
...
600: // stack starts here
```

# Basic Blocks and Flow Graphs

- Graph presentation of intermediate code
- Nodes of the graph are called **basic blocks**
- Edges indicate which block follows which other block.
- The graph is useful for doing better job in:
  - Register allocation
  - Instruction selection

# Basic Blocks

- Definition: maximal sequence of consecutive instructions such that
  - Flow of control can only enter the basic block from the first instruction
  - Control leaves the block only at the last instruction
- Each instruction is assigned to exactly one basic block


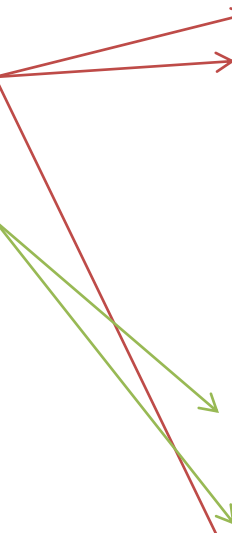
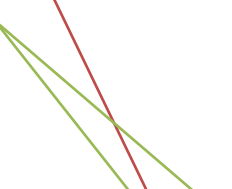
```
1)  i = 1
2)  j = 1
3)  t1 = 10 * i
4)  t2 = t1 + j
5)  t3 = 8 * t2
6)  t4 = t3 - 88
7)  a[t4] = 0.0
8)  j = j + 1
9)  if j <= 10 goto (3)
10) i = i + 1
11) if i <= 10 goto (2)
12) i = 1
13) t5 = i - 1
14) t6 = 88 * t5
15) a[t6] = 1.0
16) i = i + 1
17) if i <= 10 goto (13)
```

First we determine *leader* instructions:

1. The first three-address instruction in the intermediate code is a leader.
2. Any instruction that is the target of a conditional or unconditional jump is a leader.
3. Any instruction that immediately follows a conditional or unconditional jump is a leader.

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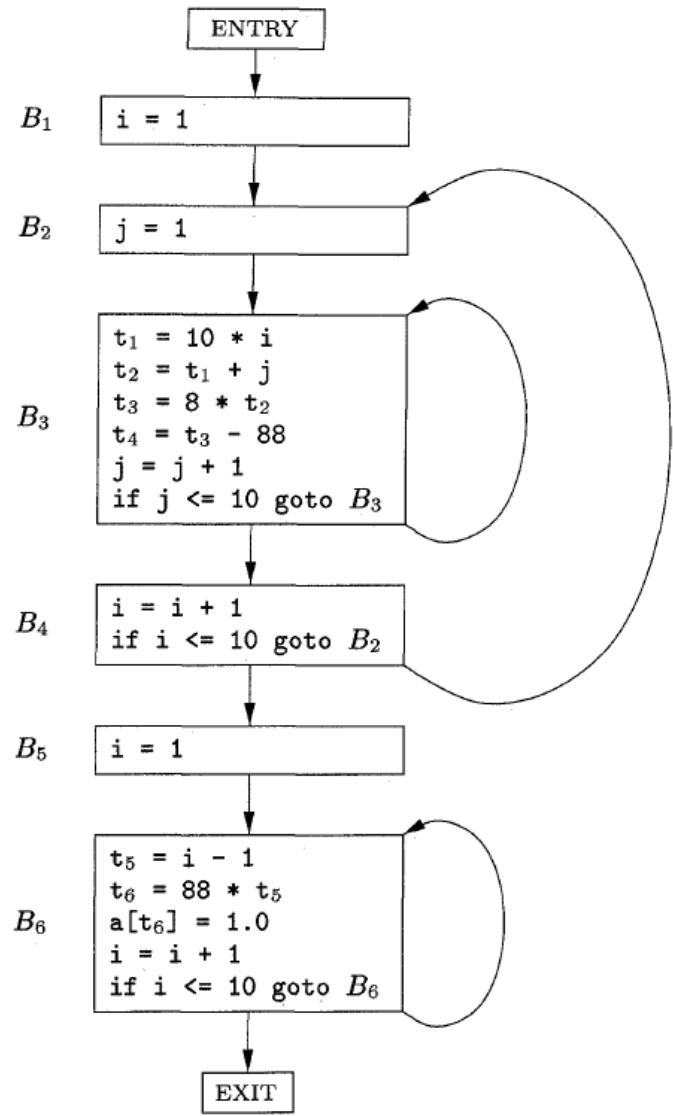
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Basic block starts with a leader instruction and stops before the following leader instruction.

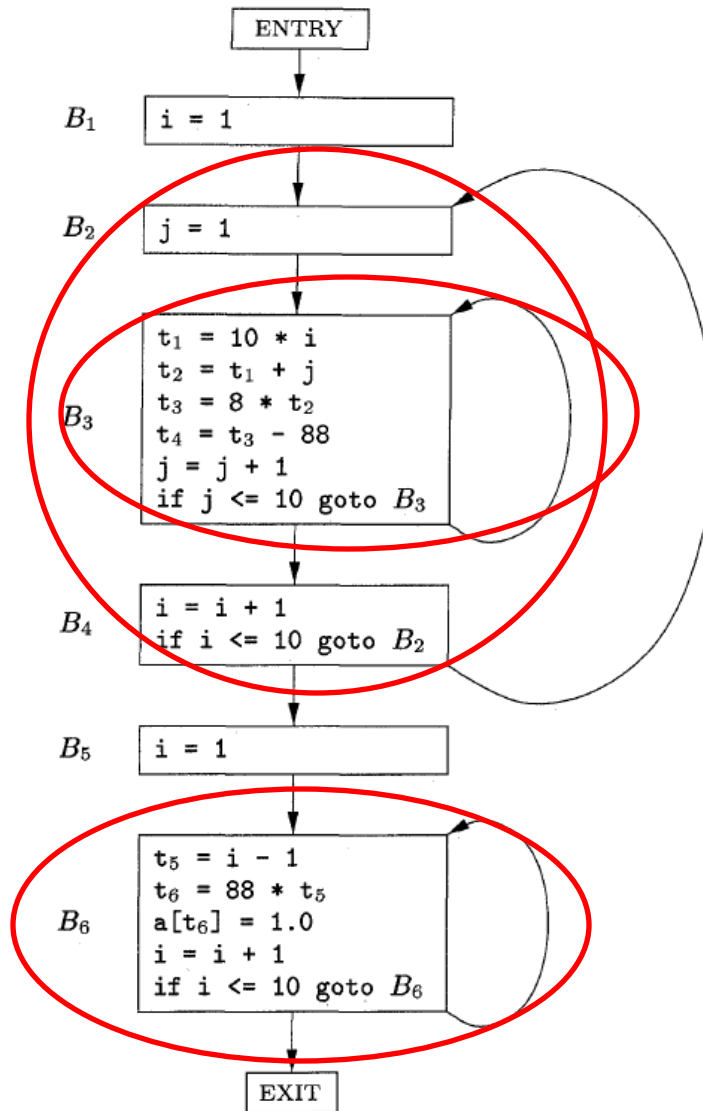
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# Loops

- Most programs spend most of their execution time executing loops
- It is thus important to generate good code for loops.
- A set of nodes  $L$  in a flow graph is a loop if  $L$  contains a node  $e$  such that
  - $e$  is not ENTRY
  - Only node  $e$  has predecessor outside  $L$
  - Every node in  $L$  has a nonempty path, completely within  $L$ , to  $e$

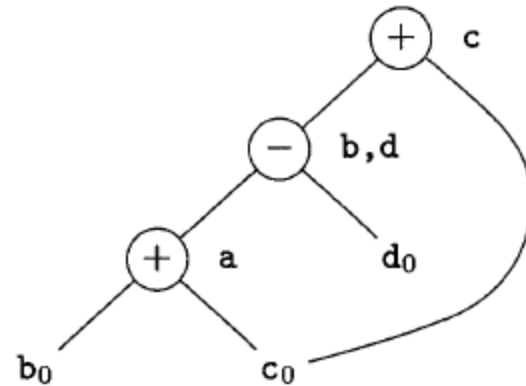


# DAG Representation of Basic Blocks

- Leaves for initial values of variables (we may not know the values so we use  $a_0$ ,  $b_0$ , ...)
- Node for each expression
- Node label is the expression operation
- Next to the node we put the variable(s) for which the node produced last definition
- Children of a node consist of nodes producing last definition of operands

# Finding Local Common Subexpressions

$a = b + c$   
 $b = a - d$   
 $c = b + c$   
 $d = a - d$



$a = b + c$   
 $d = a - d$   
 $c = d + c$

Construct the DAG for the basic block

$d = b * c$

$e = a + b$

$b = b * c$

$a = e - d$

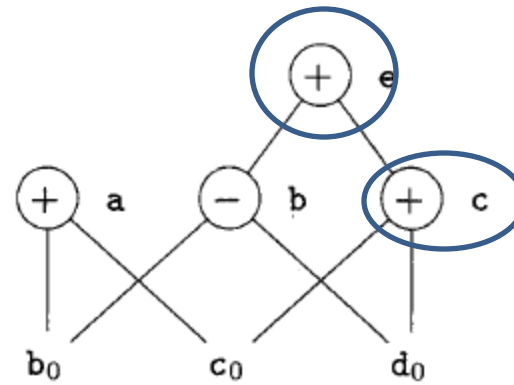
# Dead Code Elimination

From the basic block DAG:

- Remove any root node that has no live variables
- Repeat until no nodes can be removed

**Assumptions:** a and c are live but c and e are not.

a = b + c;  
b = b - d  
c = c + d  
e = b + c





# More Basic-Block Optimizations

- Eliminate unnecessary computations such as algebraic identities:
  - $x+0 = 0+x = x$
  - $x*1 = 1*x = x$
  - $x-0 = x$
  - $x/1 = x$
- Reduction in strength: replace a more expensive operator by a cheaper one:
  - $x^2 = x*x$
  - $2*x = x+x$
  - $x/2 = x*0.5$
- Constant folding: evaluate constant expressions at compile time and replace the constant expressions by their values.

# So

- Skim: 8.3.3, 8.5.4, 8.5.5, 8.5.6, and 8.5.7
- Read: 8.1 -> 8.5